

Analysis of periodicity in arrays of triple steps on vicinal surfaces: Period-dependent suppression of Fourier peaks

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Key words: High-index-Miller surfaces, 7×7 reconstruction, Fourier analysis, triple steps

We have investigated the peculiarities of atomic structures on vicinal surfaces $\text{Si}(h\ h\ m)$, oriented at an angle close to 9.5° relative to the terraces $(1\ 1\ 1)$. As a result, we have to consider the following surfaces: $\text{Si}(8\ 8\ 11)$ (miscut angle of 8.93° , period of triple steps of $L_3=18b=5.99\text{ nm}$, where $b=0.335\text{ nm}$ is the distance between atomic rows for the surface $\text{Si}(1\ 1\ 1)1\times 1$ in the $[1\ 1\ 2]$ direction), $\text{Si}(5\ 5\ 7)$ (9.44° , $L_3=17b=5.65\text{ nm}$) and $\text{Si}(7\ 7\ 10)$ (10.0° , $L_3=16b=5.32\text{ nm}$). The expected difference in periods for these surfaces is rather small (about 6%) and can be easily masked by distortions in the scanning plane caused by thermal drift and/or creep of piezo scanner. We propose a novel method for determining the periodicity of a system of triple steps.

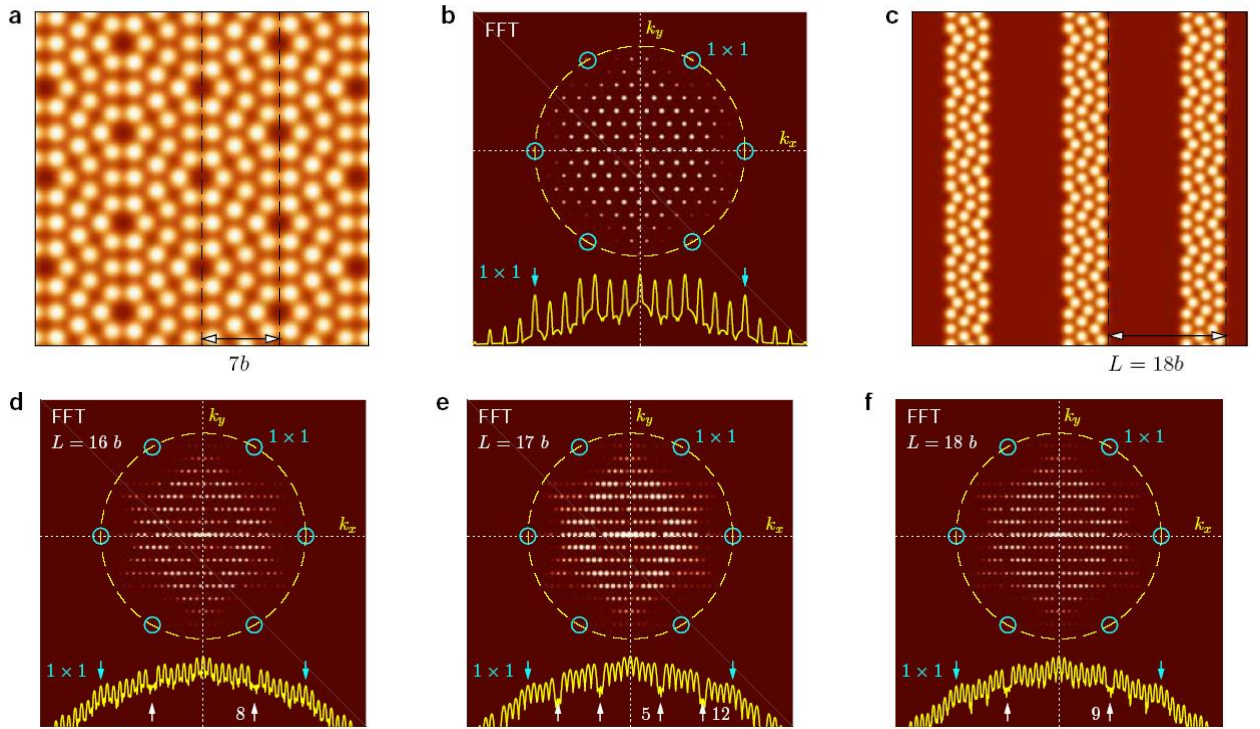


Fig. 1. **a, b** – Model surface $\text{Si}(1\ 1\ 1)7\times 7$ and corresponding Fourier transform $z(k_x, k_y)$, yellow curve in the bottom part of panel b depicts the dependence $\ln|z(k_x, k_y=0)|$. **c** – A fragment of the model structure representing periodically repeating strips of the $\text{Si}(1\ 1\ 1)7\times 7$ reconstructions with period L . **d-f** – Fourier transform $z(k_x, k_y)$ for the periodical patterns with periods $16b$ (d), $17b$ (e) and $18b$ (f). The radius of the circle marking the expected positions of the first-order Fourier peaks for the $\text{Si}(1\ 1\ 1)7\times 7$ lattice, is equal to 18.89 nm^{-1} .

We note that there are areas with 7×7 reconstruction on (1 1 1) terraces for vicinal surfaces Si(8 8 11), Si(5 5 7), and Si(7 7 10) (Fig. 1c). We have shown that the Fourier transforms of topography images for such structures could contain split Fourier peaks (Fig. 1, panels d-f). Depending on the period of the superstructure, one or two peaks on the dependence of $|z(k_x, k_y)|$, composed for $k_y=0$, become suppressed. This enables us to uniquely determine the structure period and establish Miller indices for the considered vicinal surfaces. For vicinal surface Si(h h m), studied experimentally, proper alignment can be done using the difference-of-Gaussian approach [1]. Fourier analysis of differential topographic images obtained by scanning tunneling microscopy unequivocally indicates suppression of the ninth Fourier peak (at $k_x= 9,45$ nm⁻¹ and $k_y=0$, Fig. 1f). It apparently corresponds to the formation of Si(8 8 11) surface [2].

Bibliography

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